

Dear all,

I'm new in R and I'm trying to estimate the covariance matrix of a bivariate normal distribution by maximizing the log-likelihood. The maximization **really has to be** performed with the non-linear minimization routine (nlm). The 2 means of the distribution are known and equal to 1.

I've already tried 2 different ways to compute this covariance but for each of them I obtained a lot of warnings and illogical values for the covariance matrix.

In the first one, I defined the bivariate normal distribution with the command **dmvnorm**:

```
x<-rnorm(6000, 2.4, 0.6)
x <- matrix(c(x), ncol=1)
y<-rlnorm(6000, 1.3,0.1)
y <- matrix(c(y), ncol=1)
XY <- cbind(x,y)

L <- function(par,x,y) {
  return (-sum(log(par[4]*dmvnorm(XY, mean=c(1,1), sigma= matrix(c(par[1],
  par[1]*par[2]*par[3],par[1]*par[2]*par[3], par[2] ),nrow=2, ncol=2))      )))
}
par.start<- c(0.5, 0.5 ,0.5 ,0.5)
result<-nlm(L,par.start,y=y,x=x, hessian=TRUE)
par.hat <- result$estimate
```

par.hatIl y a eu 32 avis (utilisez warnings() pour les visionner)

```
> par.hat <- result$estimate
```

```
> par.hat
```

```
[1] 5.149919e+01 2.520721e+02 8.734212e-03 3.996771e+02
```

```
> warnings()
```

Messages d'avis :

1: In log(eigen(sigma, symmetric = TRUE, only.values = TRUE)\$values) :

production de NaN

2: In nlm(L, par.start, y = y, x = x, hessian = TRUE) :

NA/Inf replaced by maximum positive value

3: In log(eigen(sigma, symmetric = TRUE, only.values = TRUE)\$values) :

production de NaN

4: In nlm(L, par.start, y = y, x = x, hessian = TRUE) :

NA/Inf replaced by maximum positive value

5: In log(eigen(sigma, symmetric = TRUE, only.values = TRUE)\$values) :

production de NaN

6: In nlm(L, par.start, y = y, x = x, hessian = TRUE) :

NA/Inf replaced by maximum positive value

7: In log(eigen(sigma, symmetric = TRUE, only.values = TRUE)\$values) :

production de NaN

8: In nlm(L, par.start, y = y, x = x, hessian = TRUE) :

NA/Inf replaced by maximum positive value

9: In log(eigen(sigma, symmetric = TRUE, only.values = TRUE)\$values) :

production de NaN

10: In nlm(L, par.start, y = y, x = x, hessian = TRUE) :

NA/Inf replaced by maximum positive value

.... Until 24th warning

In the second one, I wrote step by step the bivariate normal distribution in order to have each parameter separately (not in a matrix) but it didn't work as well:

```
x<-rnorm(6000, 2.4, 0.6)
y<-rlnorm(6000, 1.3,0.1)
L <- function(par,x,y) {
return (-sum(log((1-par[4])* (1/(2*pi*par[1]*par[2]*sqrt(1-par[3])))*exp( (-1/2*(1-par[3]^2))* ((y-1)/par[2]^2 +((x-1)/par[1])^2 - 2*(y-1)*(x-1)/(par[2]*par[1]) )) )))
}
#par [1]= sigma_x , par [2]= sigma_y par [3]= rho_xy par[4] is a mixing parameter. The final step of my calculation will be to have a mixture of bivariate normal and log-normal distributions.
par.start<- c(0.5, 0.5 ,0.5 ,0.5)
result<-nlm(L,par.start,y=y,x=x, hessian=T)
par.hat <- result$estimate
par.ha
```

When I run this script, I get always 50 advices like those below:

Messages d'avis :

- 1: In sqrt(1 - par[3]) : production de NaN
 - 2: In nlm(L, par.start, y = y, x = x, hessian = T) :
NA/Inf replaced by maximum positive value
 - 3: In sqrt(1 - par[3]) : production de NaN
 - 4: In nlm(L, par.start, y = y, x = x, hessian = T) :
NA/Inf replaced by maximum positive value
 - 5: In sqrt(1 - par[3]) : production de NaN
 - 6: In nlm(L, par.start, y = y, x = x, hessian = T) :
NA/Inf replaced by maximum positive value
 - 7: In log((1 - par[4]) * ((1/(2 * pi * par[1] * par[2] * ... : production de NaN
 - 8: In nlm(L, par.start, y = y, x = x, hessian = T) :
NA/Inf replaced by maximum positive value
 - 9: In log((1 - par[4]) * ((1/(2 * pi * par[1] * par[2] * ... : production de NaN
 - 10: In nlm(L, par.start, y = y, x = x, hessian = T) :
NA/Inf replaced by maximum positive value
- until 50th warning

Does one of you know how to use the nlm method to estimate the covariance matrix (and mixing parameter) of a bivariate normal distribution?

Thank you in advance for your help and answers.

Best regards,

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