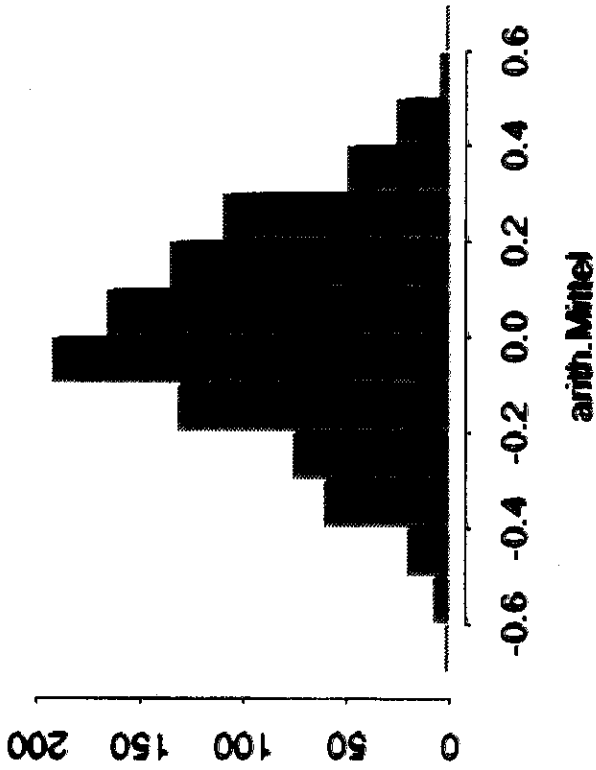
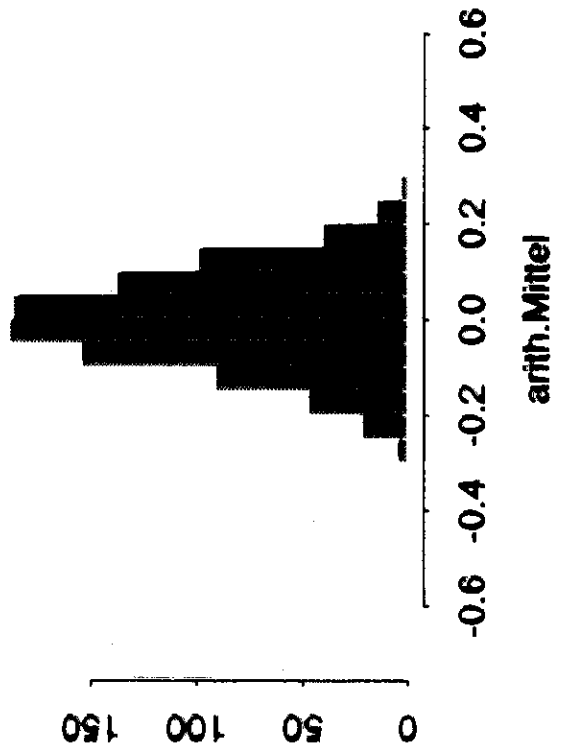


$\bar{X}_{20}$

arith. Mittel; n=20

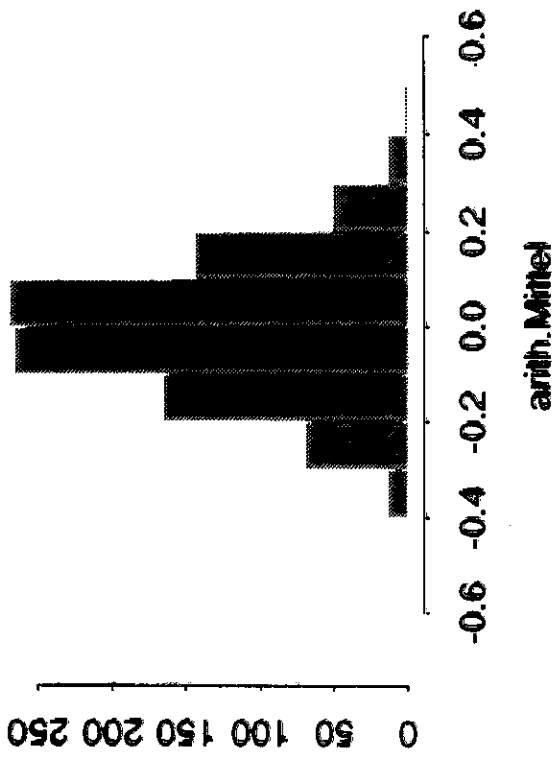


arith. Mittel; n=100

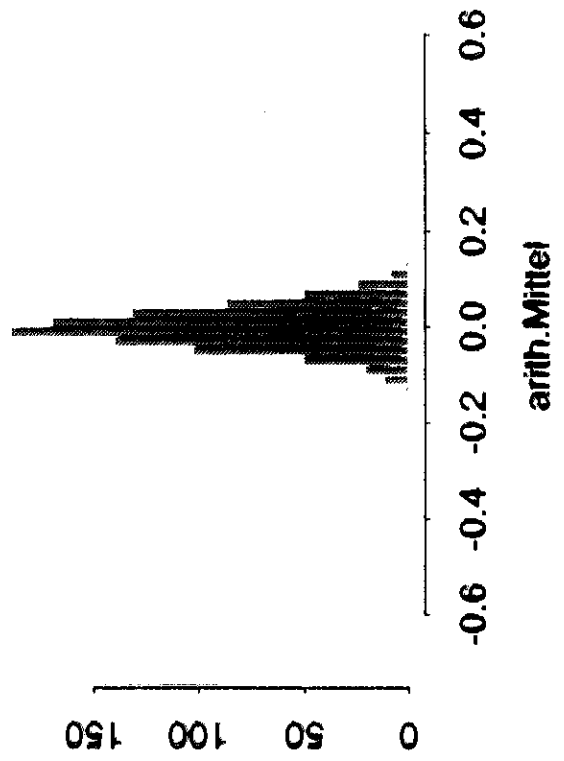


$\bar{X}_{50}$

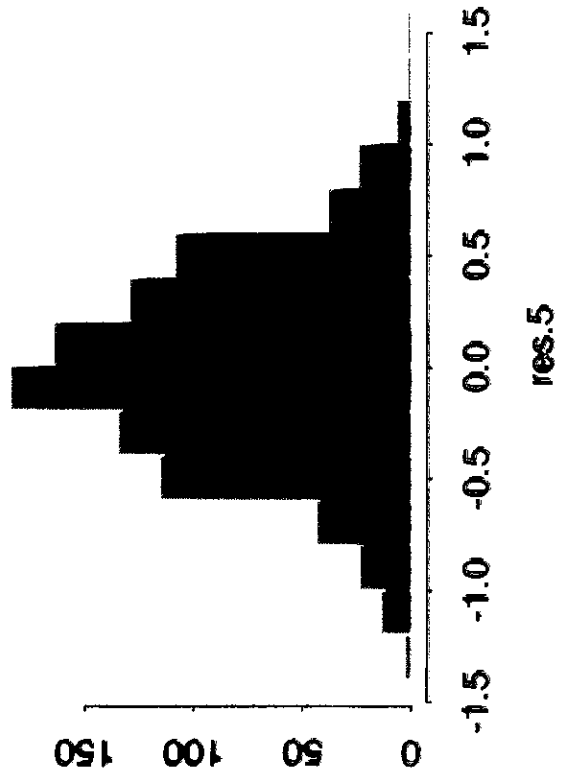
arith. Mittel; n=50



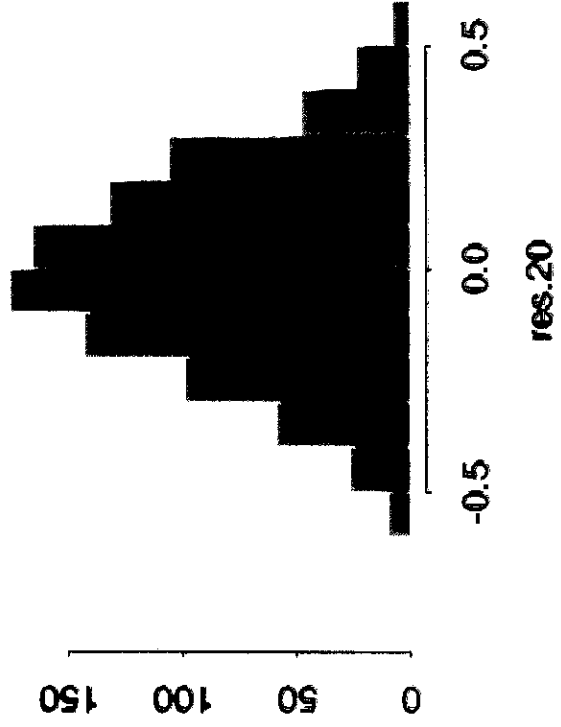
arith. Mittel; n=500



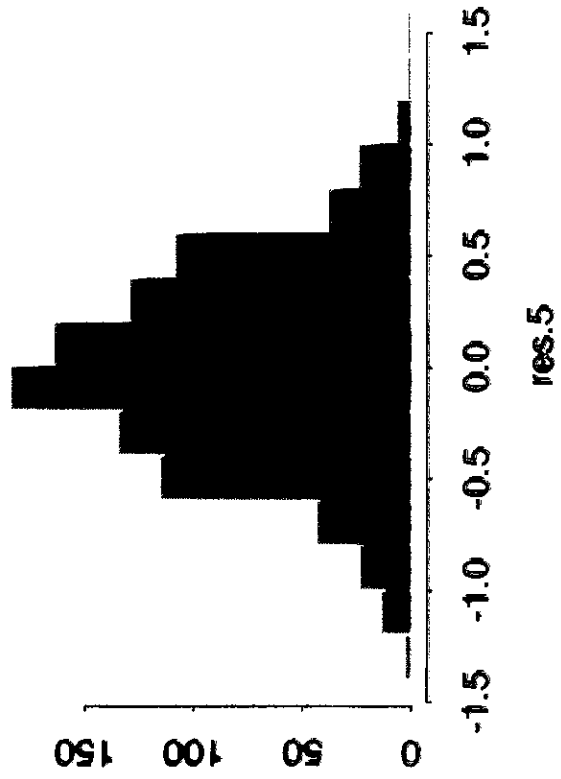
$N(0,1), n=5$



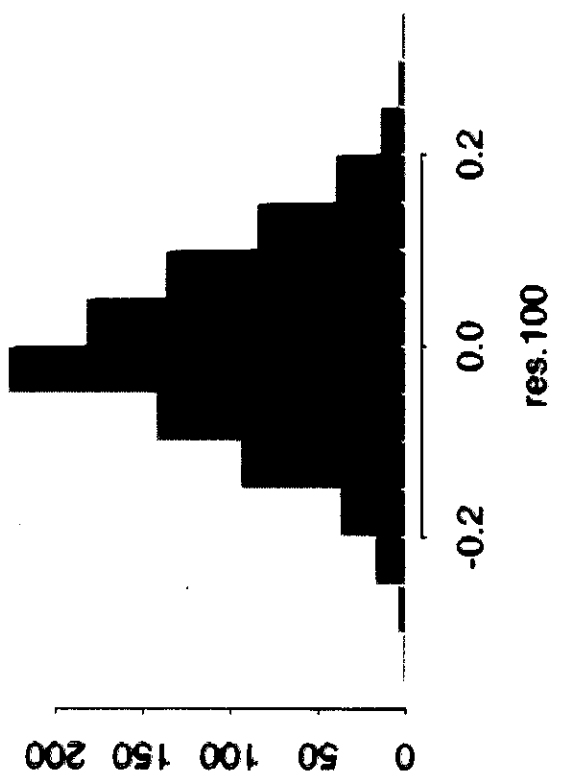
$N(0,1), n=20$



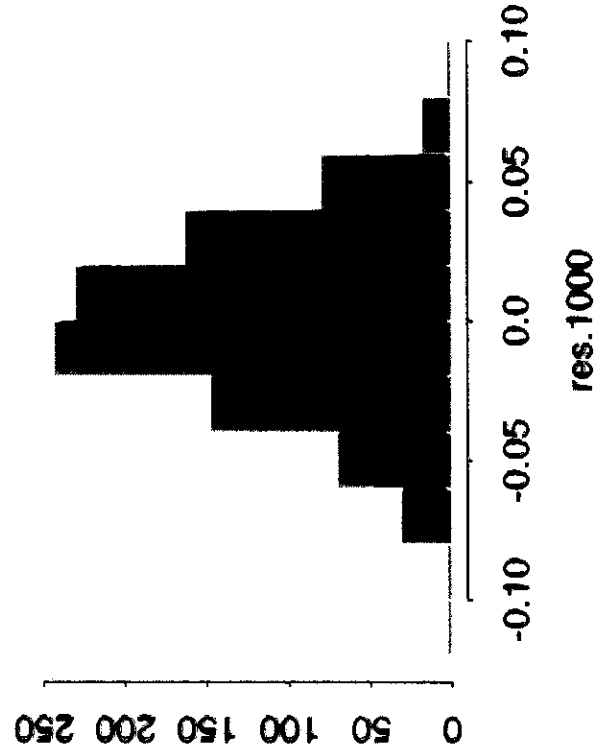
$N(0,1), n=5$



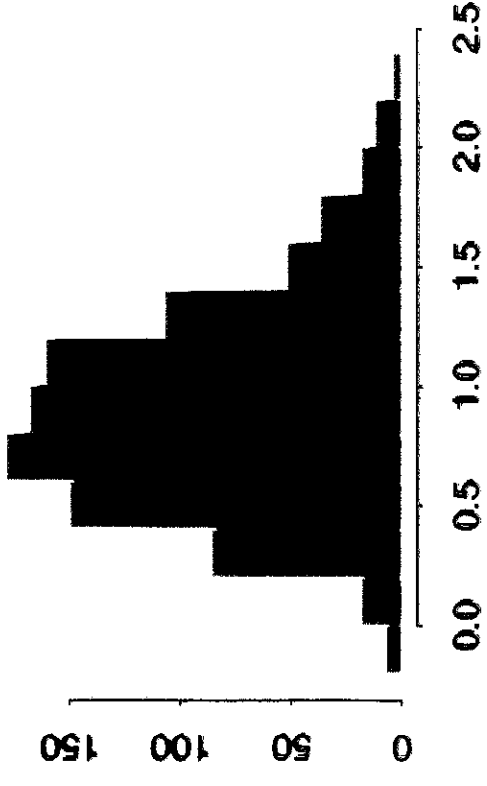
$N(0,1), n=100$



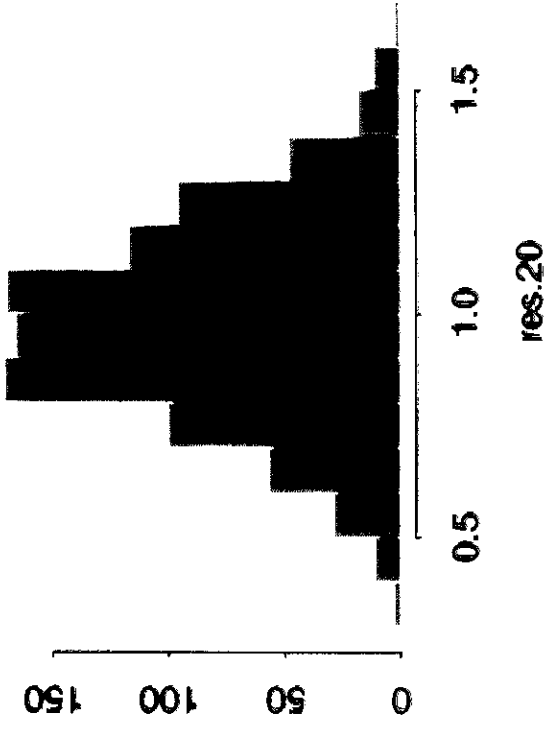
$N(0,1), n=1000$



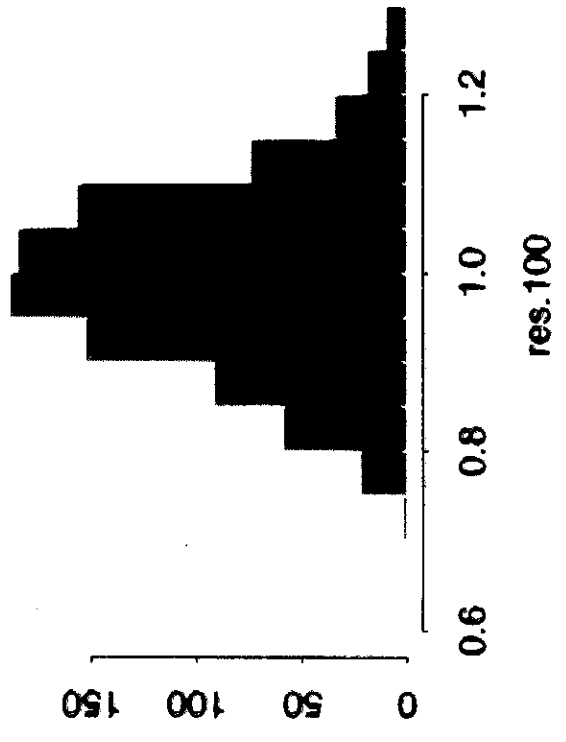
$X_n$   
Pois(1), n=5



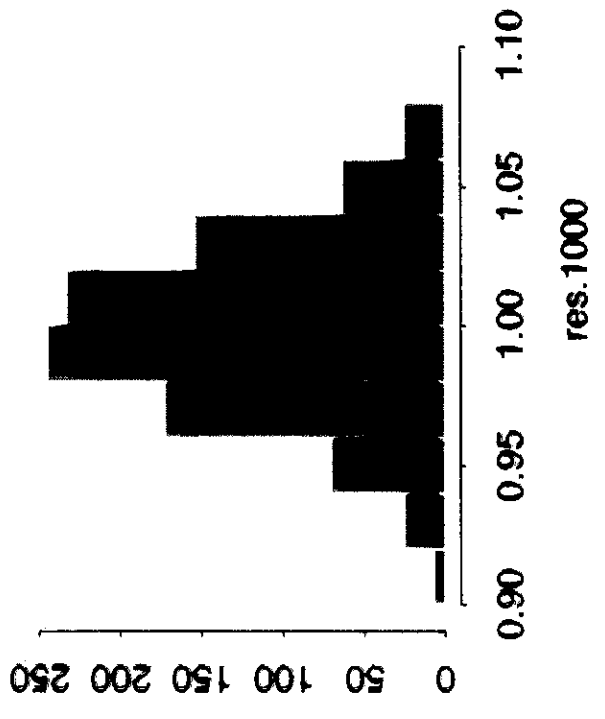
Pois(1), n=20



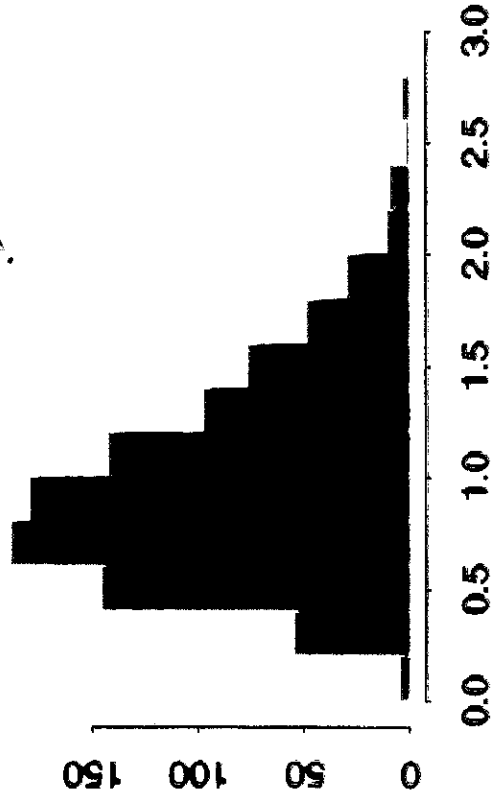
Pois(1), n=100



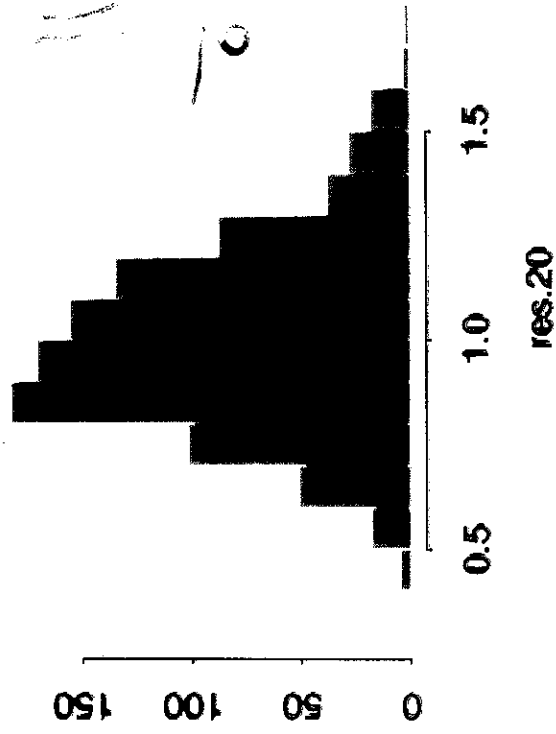
Pois(1), n=1000



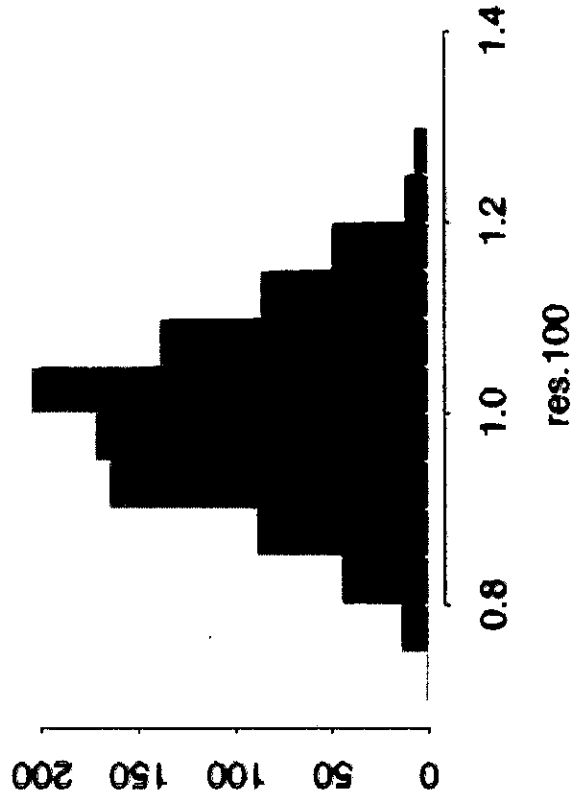
$\bar{X}_n$   
5  
Exp(1), n=5



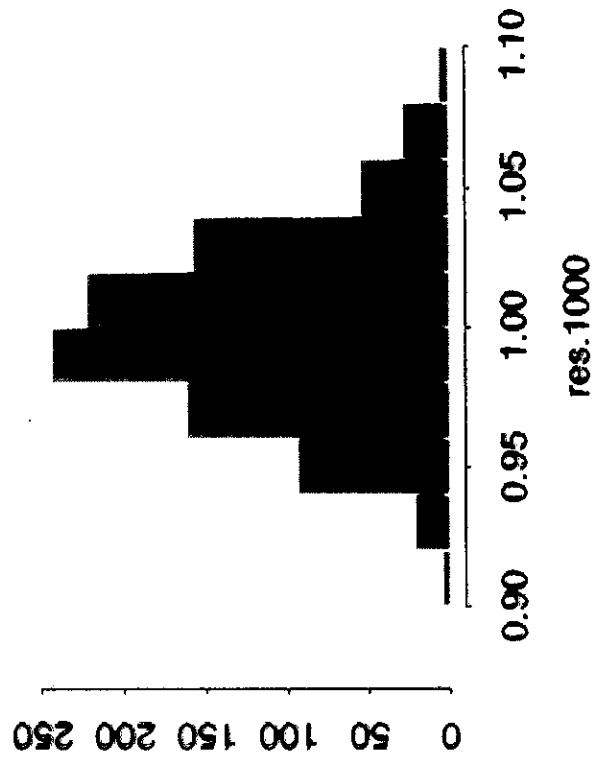
Exp(1), n=20



Exp(1), n=100



Exp(1), n=1000



Bsp: n-maliges Münzwurfen

$X_i = 1$  falls K im i-ten Wurf

$= 0$  falls Z im i-ten Wurf

$E[X_i] = \mu = 1/2$  falls Münze fair

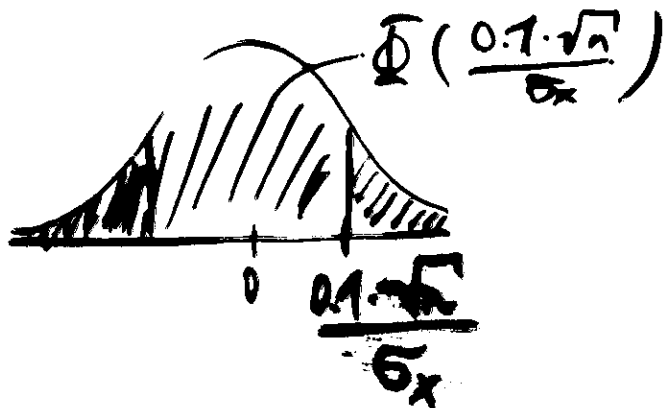
$\bar{X}_n \rightarrow \mu \quad (n \rightarrow \infty) \quad \text{(GGZ)}$

mit ZGS:

$$\bar{X}_n = \mu + \frac{\sigma_x}{\sqrt{n}} Z, \quad Z \stackrel{\text{approx.}}{\approx} \mathcal{N}(0, 1)$$

$$P[|\bar{X}_n - \mu| > 0.1] = P\left[\left|\frac{\sigma_x}{\sqrt{n}} Z\right| > 0.1\right]$$

$$= P\left[|Z| > \frac{0.1 \cdot \sqrt{n}}{\sigma_x}\right] \approx 2\left(1 - \Phi\left(\frac{0.1 \cdot \sqrt{n}}{\sigma_x}\right)\right)$$



$P(|\text{empir. Frequenz} - p| > 0.1) \approx$  Kurve

